



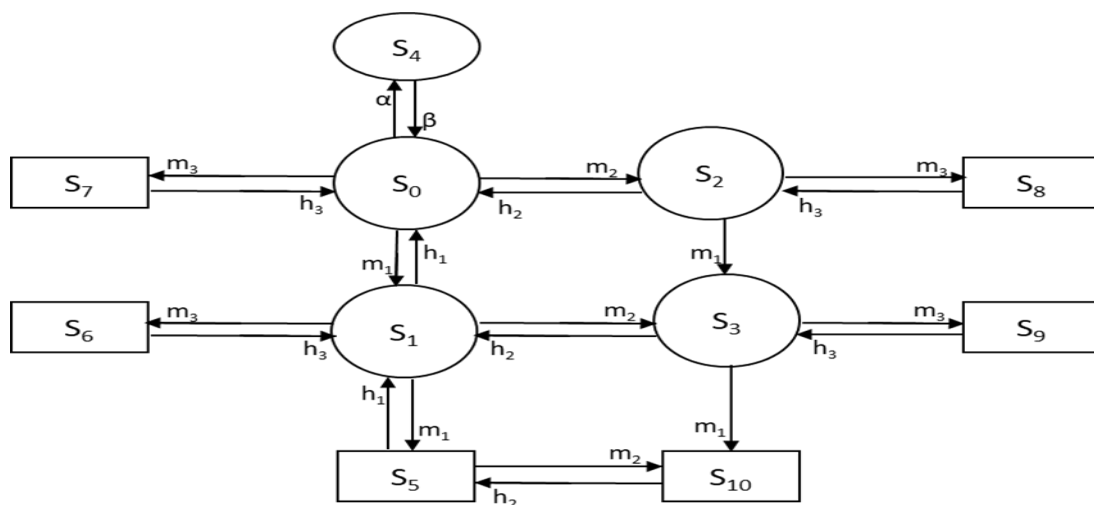
objective of the paper by Kumar et al. (2019) focuses on the investigated examination of the washing element in the paper company consuming RPGT, while Kumar et al. (2017) analyzed the urea compost industry for system parameters. In their 2018 study, Kumar et al. focused on the investigation of a bakery and an edible petroleum treatment plant. In a series framework with a span portion, Bhunia et al. (2010) presented GA to address concerns with unshakable quality stochastic augmentation. The mist group of a coal-fired thermal impact shrub was optimized by Malik et al. in 2022. Dual categories of deficiencies—simple and hard as for the time in which these happen for disengagement and expulsion following their recognition—have been reported in Anchal et al(2021) analysis of the SRGM classic using variance condition. Komal et al. (2009) described the reliability, availability, and maintainability analysis presents some strategies to carryout structure alteration. Benefit analysis of the agribusiness harvester plants in a stable condition using RPGT was discussed by Kumari et al. in 2021. A steady state transition diagram is created using the Markov process (showing transition rates and states) utilizing the steady failure and repair rates of units and facilities. Availability analysis is then performed by creating the appropriate table and graph, followed by discussion.

**2. Assumption, Notation and Transition Diagram:**

- A repairman is available 24\*7.
- Failure/repair rates are constant.

m/h: Failure/Repair rates

Pleasing into reflection the upstairs assumptions and systems the Transition Illustration of the system is certain in Figure 1.



**Figure1: Transition Diagram**

$$S_0 = A_1A_2(A_3)BD, \quad S_1 = a_1A_2A_3BD, \quad S_2 = A_1A_2(A_3)Bd, \quad S_3 = a_1A_2A_3Bd,$$

$$S_4 = A_1 A_2 (A_3) B D, \quad S_5 = a_1 a_2 A_3 B d, \quad S_6 = a_1 A_2 A_3 b D, \quad S_7 = A_1 A_2 (A_3) b D,$$

$$S_8 = A_1 A_2 (A_3) b d, \quad S_9 = a_1 A_2 A_3 b d, \quad S_{10} = a_1 a_2 A_3 B d$$

### 3. State Transition Probabilities

$q_{ij}(t)$

$$q_{0,1}(t) = m_1 e^{-(m_1+m_2+m_3+\alpha)t}$$

$$q_{0,2}(t) = m_2 e^{-(m_1+m_2+m_3+\alpha)t}$$

$$q_{0,4}(t) = \alpha e^{-(m_1+m_2+m_3+\alpha)t}$$

$$q_{0,7}(t) = m_3 e^{-(m_1+m_2+m_3+\alpha)t}$$

$$q_{1,0}(t) = h_1 e^{-(m_1+m_2+m_3+h_1)t}$$

$$q_{1,3}(t) = m_2 e^{-(m_1+m_2+m_3+h_1)t}$$

$$q_{1,5}(t) = m_1 e^{-(m_1+m_2+m_3+h_1)t}$$

$$q_{1,6}(t) = m_3 e^{-(m_1+m_2+m_3+h_1)t}$$

$$q_{2,0}(t) = h_2 e^{-(m_1+m_3+h_2)t}$$

$$q_{2,3}(t) = m_1 e^{-(m_1+m_3+h_2)t}$$

$$q_{2,8}(t) = m_3 e^{-(m_1+m_3+h_2)t}$$

$$q_{3,1}(t) = h_2 e^{-(m_1+m_3+h_2)t}$$

$$q_{3,9}(t) = m_3 e^{-(m_1+m_3+h_2)t}$$

$$q_{3,10}(t) = m_1 e^{-(m_1+m_3+h_2)t}$$

$$q_{4,0}(t) = n e^{-nt}$$

$$q_{5,1}(t) = h_1 e^{-(m_2+h_1)t}$$

$$q_{5,10}(t) = m_2 e^{-(m_2+h_1)t}$$

$$q_{6,1} = h_3 e^{-h_3 t}$$

$$q_{7,0} = h_3 e^{-h_3 t}$$

$$q_{8,2} = h_3 e^{-h_3 t}$$

$$q_{9,3} = h_3 e^{-h_3 t}$$

$$q_{10,3} = 0$$

$$q_{10,5} = h_2 e^{-h_2 t}$$

$p_{ij} = q^*_{ij}(0)$

$$p_{0,1} = m_1 / (m_1 + m_2 + m_3 + \alpha)$$

$$p_{0,2} = m_2 / (m_1 + m_2 + m_3 + \alpha)$$

$$p_{0,4} = \alpha / (m_1 + m_2 + m_3 + \alpha)$$

$$p_{0,7} = m_3 / (m_1 + m_2 + m_3 + \alpha)$$

$$p_{1,0} = h_1 / (m_1 + m_2 + m_3 + h_1)$$

$$p_{1,3} = m_2 / (m_1 + m_2 + m_3 + h_1)$$

$$p_{1,5} = m_1 / (m_1 + m_2 + m_3 + h_1)$$

$$p_{1,6} = m_3 / (m_1 + m_2 + m_3 + h_1)$$

$$p_{2,0} = h_2 / (m_1 + m_3 + h_2)$$

$$p_{2,3} = m_1 / (m_1 + m_3 + h_2)$$

$$p_{2,8} = m_3 / (m_1 + m_3 + h_2)$$

$$p_{3,1} = h_2 / (m_1 + m_3 + h_2)$$

$$p_{3,9} = m_3 / (m_1 + m_3 + h_2)$$

$$p_{3,10} = m_1 / (m_1 + m_3 + h_2)$$

$$p_{4,0} = 1$$

$$p_{2,0} = h_2 / (m_3 + h_2)$$

$$p_{5,10} = m_2 / (m_2 + h_1)$$

$$p_{6,1} = 1$$

$$p_{7,0} = 1$$

$$p_{8,2} = 1$$

$$p_{9,3} = 1$$

$$q_{10,3} = 0$$

$$p_{10,8} = 1$$

$$p_{0,1} + p_{0,2} + p_{0,4} + p_{0,7} = 1$$

$$p_{1,0} + p_{1,3} + p_{1,5} + p_{1,6} = 1$$

$$p_{2,0} + p_{2,3} + p_{2,8} = 1$$

$$p_{3,1} + p_{3,9} + p_{3,10} = 1$$

#### 4. Mean Sojourn Times

$R_i(t)$

$$R_0(t) = e^{-(m_1 + m_2 + m_3 + \alpha)t}$$

$$R_1(t) = e^{-(m_1 + m_2 + m_3 + h_1)t}$$

$$R_2(t) = e^{-(m_3 + h_2)t}$$

$$R_3(t) = e^{-(m_1 + m_3 + h_2)t}$$

$$R_4(t) = e^{-\beta t}$$

$$R_5(t) = e^{-(m_2+h_1)t}$$

$$R_6(t) = e^{-h_3 t}$$

$$R_7(t) = e^{-h_3 t}$$

$$R_8(t) = e^{-h_3 t}$$

$$R_9(t) = e^{-h_3 t}$$

$$R_{10}(t) = e^{-h_2 t}$$

$$\mu_i = R_i^*(0)$$

$$\mu_0 = 1/(m_1+m_2+m_3+\alpha)$$

$$\mu_1 = 1/(m_1+m_2+m_3+h_1)$$

$$\mu_2 = 1/(m_3+h_2)$$

$$\mu_3 = 1/(m_1+m_3+h_2)$$

$$\mu_4 = 1/\beta$$

$$\mu_5 = 1/(m_2+h_1)$$

$$\mu_6 = 1/h_3$$

$$\mu_7 = 1/h_3$$

$$\mu_8 = 1/h_3$$

$$\mu_9 = 1/h_3$$

$$\mu_{10} = 1/h_2$$

### 5. Evaluation of Transition Path Probabilities (TPP)

Smearing RPGT and by '0' as the initial-state of the organization as beneath: TPP issues of all the accessible states after the first state ' $\xi = 0$ ' remain: Likelihoods after state '0' to dissimilar vertices remain assumed as

$$V_{0,0} = 1$$

$$V_{0,1} = p_{0,1} / \{ (1-p_{1,3}p_{3,1}) / (1-p_{3,9}p_{9,3}) \} \{ (1-p_{1,3}p_{3,10}p_{10,5}p_{5,1}) / (1-p_{10,5}p_{5,10}) \} (1-p_{1,6}p_{6,1}) (1-p_{1,5}p_{5,1})$$

$$V_{0,2} = (0,2) / \{ 1 - (2,8,2) \} \\ = p_{0,2} / (1-p_{2,8}p_{8,2})$$

$$V_{0,3} = \dots \dots \dots \text{Continuous}$$

TPP issues of all the accessible states after the dishonorable state ' $\xi = 1$ ' is: Likelihoods after state '1' to dissimilar vertices stand assumed as

$$V_{1,0} = (1,0) / [ \{ 1 - (0,2,0) \} / \{ 1 - (2,8,2) \} ] \{ 1 - (0,4,0) \} \{ 1 - (0,7,0) \} \\ = p_{1,0} / \{ (1-p_{0,2}p_{2,0}) / (1-p_{2,8}p_{8,2}) \} (1-p_{0,4}p_{4,0}) (1-p_{0,7}p_{7,0})$$

$$V_{1,1} = 1 \text{ (Verified)}$$

$$V_{1,2} = (1,0,2)/[\{1-(0,2,0)\}\{1-(2,8,2)\}\{1-(0,4,0)\}\{1-(0,7,0)\}\{1-(2,8,2)\}] \\ = p_{1,0}p_{0,2}/\{(1-p_{0,2}p_{2,0})/(1-p_{2,8}p_{8,2})\}(1-p_{0,4}p_{4,0})(1-p_{0,7}p_{7,0})(1-p_{2,8}p_{8,2})$$

$$V_{1,3} = \dots\dots\dots\text{Continuous}$$

## 6. Modeling system parameters

**MTSF( $T_0$ ):** The re-forming un-failed conditions to which the scheme can transit(original state '0'), previouslygoing any unsuccessful state stand: 'i' = 0 to 4 enchanting 'ξ' = '0'.

$$T_0 = (V_{0,j}\mu_j)/[\{1-(0,1,0)-(0,2,0)-(0,4,0)\}]; j = 0 \text{ to } 4$$

**Availability of the System( $A_0$ ):** The reformative states at which the scheme is accessible are 'j' = 0 to 4 and the reformative states are 'i' = 0 to 8 captivating 'ξ' = '1' the total fraction of periodaimed at which the organization is accessible is certain by

$$A_0 = [\sum_j V_{\xi,j}, f_j, \mu_j] \div [\sum_i V_{\xi,i}, f_j, \mu_i^1] \\ = (V_{1,1}\mu_1+V_{1,2}\mu_2+V_{1,3}\mu_3+V_{1,4}\mu_4)/D_1$$

$$\text{Where } D_1 = V_{1,0}\mu_0+V_{1,1}\mu_1+V_{1,2}\mu_2+V_{1,3}\mu_3+V_{1,4}\mu_4+V_{1,5}\mu_5+V_{1,6}\mu_6+V_{1,7}\mu_7+V_{1,8}\mu_8+V_{1,9}\mu_9 \\ +V_{1,10}\mu_{10}$$

**Busy Period of the Server:** The reformative states where server is full are j = 1 to 8 and reformative states are 'i' = 0 to 8, captivating ξ = '0', the total fraction of period for which the waiter remains busy is

$$B_0 = [\sum_j V_{\xi,j}, n_j] \div [\sum_i V_{\xi,i}, \mu_i^1] \\ = (V_{0,j}\mu_j)/D \quad j = 0 \text{ to } 8$$

$$\text{Where } D = (V_{0,i}\mu_i); i = 0 \text{ to } 10$$

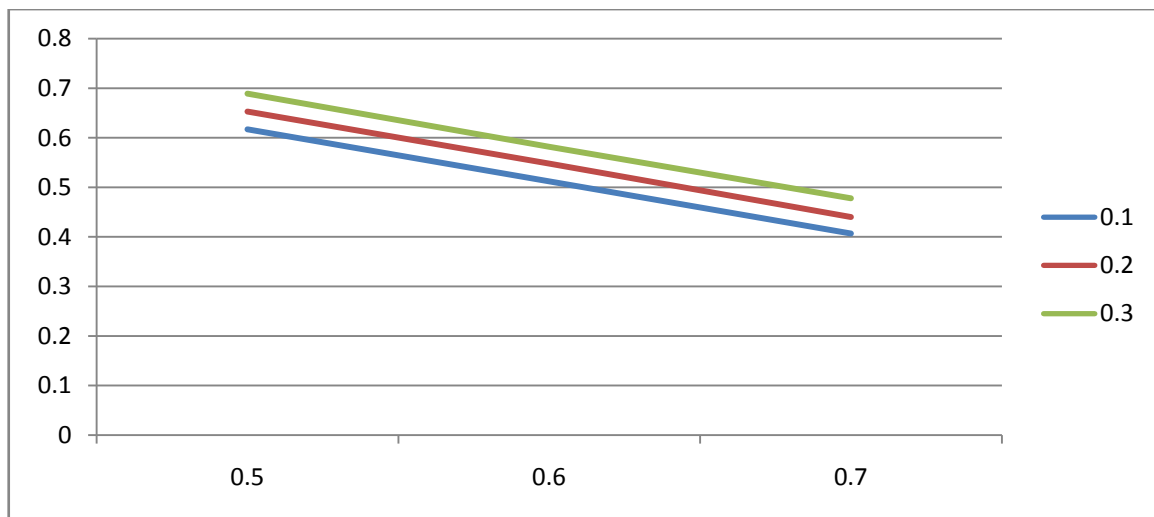
**Expected Number of Inspections by the repair man:** The reformative states where the repairman appointmentsagain are j = 1,2,4,7 the reformative states are i = 0 to 8, Attractive 'ξ' = '0', the integer of call by the overhaul man is assumed by

$$V_0 = [\sum_j V_{\xi,j}] \div [\sum_i V_{\xi,i}, \mu_i^1] \\ = (V_{0,1}+V_{0,2}+V_{0,4}+V_{0,7})/ D$$

## 7. Results:

**Table 1: Availability of the system**

m \ h	0.10	0.20	0.30
0.50	0.617	0.653	0.689
0.60	0.512	0.548	0.582
0.70	0.407	0.440	0.478

**Figure 2: Availability of the system****8. Conclusion:**

From the analytical and graphical discussion, it is noted that the values for Availability of the system table above and graph above may besides be set and conclusion with respect to repair and disappointment rates of units.

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